

## CHAPTER 1



### INTRODUCTION

Generally, analyses of performance in adsorption processes with regard to mass transfer deal with the calculation of breakthrough curves. Such curves are calculated using values of adsorption rates and other properties of the fluids and adsorbents involved. In order to understand fluid phase flow behavior of adsorption systems, the assumption of piston flow in the system is often made. However, several practical engineering applications need to use more rigorous characteristics of real flow patterns. This certainly implies a consecutive requirement of relationships between axial dispersion data and its use for rational design methods of equipment. Since the constant pattern breakthrough is the simplest condition for equipment design, thus the existence of axial dispersion will effect to a smaller or larger extent the form of the asymptotic constant pattern of breakthrough curves. This has been reported to alter the stable mass transfer zone to some extent (1, 2). Despite the importance of longitudinal dispersion data mentioned, insufficient work has been done previously in adsorption columns of small diameters in which a majority of adsorption data is obtained. Table 1 shows some of the previous work that has been done. This present work will deal with measuring axial dispersion coefficients but in different ranges of variables.

Table 1.1 Summary of Experimental Axial Dispersion Data for Gases in Packed Columns

INVESTIGATORS	SYSTEM FLUID/TRACER	INPUT	PACKING TYPE	PARTICLE DIAMETER $d_p$ (cm)	TUBE INNER DIAMETER $d_t$ (cm)	TUBE LENGTH L (cm)	TUBE/PARTICLE DIAMETER RATIO $d_t/d_p$	POROSITY OF BED	$Re$	$Pe$	$Sc$	TURBULENCE FACTOR	$Pe_0$	
BELLA AND WEBER (1969)	$CH_4/He$	PULSE	GLASS SPHERE	1.83	7.44	150	4.07	0.365	0.128 - 1.60	0.30 - 1.730	1.80 - 2.20	-	-	
CARRIBRY AND BRETTON (1958)	$He/Air$	PULSE	SPHERE	0.63	2.55	90	4.05	0.365	0.046 - 0.42	0.015 - 0.10	0.3	0.87	2.0	
CHAO AND HOELSCHER (1966)	$H_2/He$	PULSE	GLASS CHIPS	0.255	2.58	15	10.12	0.425	0.5 - 20.0	0.55 - 1.0	0.27	-	-	
EDWARD AND RICHARDSON (1968)	$Air/Ar$	PULSE	GLASS BEADS SAND DIAMON	0.08 - 0.45 0.159 0.144	9	24	20 - 150 56.6 62.5	0.368 - 0.410	0.008 - 5.0	0.022 - 4.0	0.7	0.73	3.0	
EYAN AND KENNY (1968)	$N_2/He$ $N_2/He$ $N_2/C_2H_6$ $N_2/Ar$ $Ar/N_2$	PULSE	LEAD SHOT GLASS BEADS RASCHIG RINGS	0.21 0.038 0.255	2.55	315	12.14 77.27 10	0.374 0.36 0.6	0.5 - 10.0	0.06 - 2.0	0.3 0.35 1 0.8 0.85	0.69	2.0	
MC HENRY AND WILHELM (1957)	$H_2/N_2$ $CH_4/N_2$	FREQUENCY	GLASS SPHERE	0.32	4.96	27.6 - 67.3	16.56	0.388	100 - 400	1.60	0.155	0.3 - 1.0	-	1.88
VOLKOV (1986)	$N_2/He$	PULSE AEROSOL	DIATOMITE SPHEROCHROME	0.036 0.052 0.075	10	40	133 - 277	-	1.0 - 20	0.1 - 0.5	-	-	-	

SOURCE : DATA COLLECTED FROM ORIGINAL PAPERS AS MENTIONED

### 1.1 Previous studies of axial dispersion for gas system in packed beds

- The development of models for dispersion in packed beds

The Fickian-like or diffusion model in packed beds has been studied by many investigators during the last three decades. Carberry and Bretton ( 4 ) applied this approach to their work and found that for  $Re < 1$ , axial dispersion coefficients were about equal to the calculated molecular diffusivity for both gases; while Mc Henry and Wilhelm ( 8 ) obtained Peclet numbers of about 2 at high Reynolds numbers ( in the range of 26 - 1000 ).

A number of explanations of axial dispersion behavior through a number of models have been made. In the mixing cell model of Deans and Lapidus ( 10 ), interstices between packing elements are idealized as perfectly stirred mixers which give rise to dispersion-type behavior. For Hinduja et al's cross flow model ( 11 ), exchange of fluid between stagnant and flowing parts of the empty space in the bed is used to model dispersion without requirements of exit boundary conditions in the mathematical treatment.

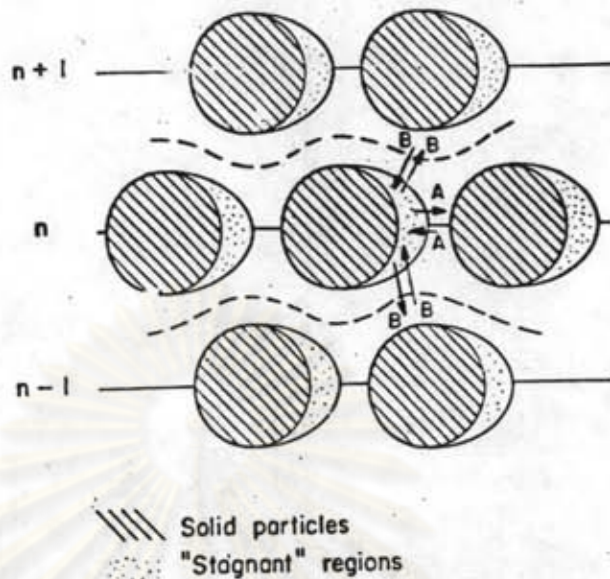


Figure 1.1 Schematic of bed showing stagnant and flowing regions.  $\rightleftharpoons A$  indicates exchange between stagnant and flowing regions in the same layer.  $\rightleftharpoons B$  indicates exchange between stagnant and flowing regions in adjacent layers.

The model of volume average for basic microscopic concentration was introduced by Carbonnel in 1980 ( 12 ). The alternating flow model of Klingman and Lee( 13 ) views dispersion in packed beds as a sequence of streamline plugs that must repeatedly split and merge as the bulk fluid tranverses the vessel .

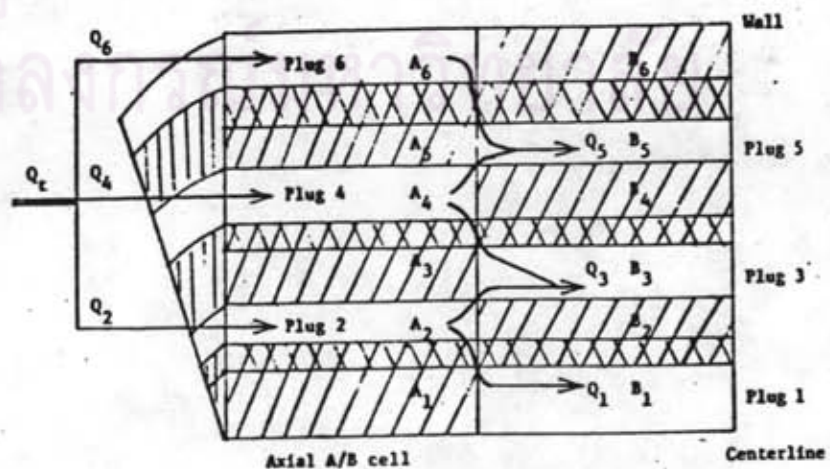


Figure 1.2 One AFM repeating A/B cell,  $N_{plug} = 6$ .

Upon these Fickian and Non - Fickian models , neither describes dispersion behaviors occurring in packed bed exactly; however, each model developed is relevant to each specific case.

A number of studies have been made on boundary conditions themselves . Kreft and Zuber ( 14 ) presented the solution for infinite and semi - infinite media in the case of a tracer . For low Peclet numbers they found prominent differences between the solutions for different injection - detection modes . They indicated that the theory of age - distribution function applies only if the tracer is injected and measured in flux . Parulekar and Ramkrishna ( 15 ) presented a formulation to derive a general set of boundary conditions which fit the mold of the self - adjoint operator theory . They also discussed actual solutions to different cases ( 16 ,17 ) . Kolev (18) compared numerical inversion methods used for solving the axial dispersed plug flow model in the Laplace domain by expanding it into series of orthogonal functions . He found methods employing Chebyshov polynomials of the first kind and Fourier sine series giving the best results with respect to precision and less computation time .

## 1.2 Statement of the problem

This axial dispersion study was prompted by three main reasons :

First , no previous reports ever cited the measurement of axial dispersion on tubes containing very small particles ; nevertheless , this is a topic that plays a role in actual adsorption equipment design . Secondly , although the actual geometry of adsorbent beds are directly pertinent to dispersion aspects , few experiments have dealt with active adsorbents being used as packing . Finally little data lies in the flow rate region we are interested in and where axial dispersion may be a major factor influencing adsorption phenomena .

### 1.3 Objective of the study

To determine a relationship for axial dispersion coefficients of a gas flowing through a packed bed of 3<sup>0</sup>A molecular sieve carbon adsorbents as a function of flow rates and sizes of adsorbent particles and tube diameter .

### 1.4 Scope of study

The features of this analysis will be based upon the following criteria and restrictions :

1. The packed column will be filled with adsorbent pellets which pores will be too small to adsorb either carrier gas or tracer

gas , and at the same time the adsorbent will be devoid of other gases which could desorb during the experiments .

2. Four particle sizes in the range between 0.45 to 1.00 mm were chosen to yield a suitable tube to particle diameter ratio greater than 10 ,

3. Four flow rates with Reynolds numbers up to 2 , were used in this set of experiments .

4. Experimental conditions of 45 °C and atmospheric pressure were used in the study .

5. The experimental system will be simulated with a mathematical model and based on closed-closed boundary conditions since it most closely resembles the experimental system .

6. An impulse response method will be used in the measurement of longitudinal dispersion .

Under the above experimental system , axial dispersion coefficients will be measured , interpreted in terms of Peclet numbers (Pe) , and compared with the mathematical model .